

Kirchhoff's Laws

Junction Law or the Current Law

Current into a junction

= current out

series $I = I_1 = I_2$



Loop Law or
Voltage Law

V around
Loop adds to zero

Series

$$V = V_1 + V_2$$

parallel $I = I_1 + I_2$

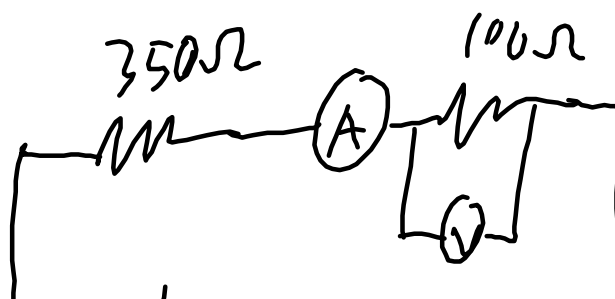


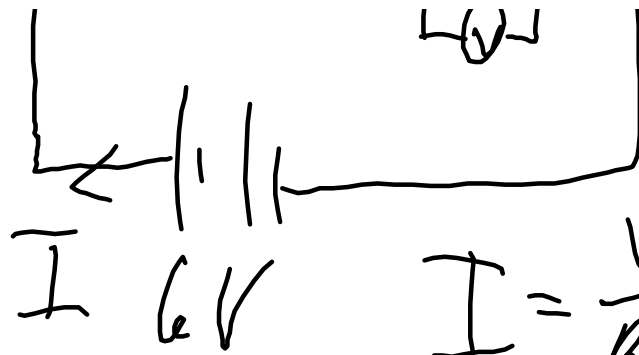
Parallel

$$V = V_1 = V_2$$

- Determine the voltage across, current through and power output of each resistor when they are
- in series with each other
 - in parallel with each other

Draw a circuit diagram showing an ammeter and voltmeter connected to the 100 ohm resistor.





$$I = \frac{V}{R_T} = \frac{6.0V}{350\Omega + 100\Omega} = 13.3mA$$

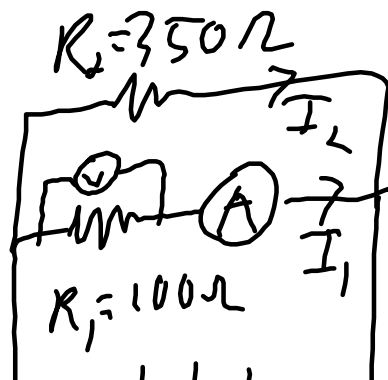
$$V_{350} = I R = 350\Omega \times 13.3mA = 4.67V$$

$$V_{100\Omega} = 100\Omega \times 13.3mA = 1.33V$$

$$P_{350\Omega} = I^2 R = (13.3 \times 10^{-3})^2 (350) = 62.2mW$$

$$P_{100\Omega} = 17.8mW$$

b)



$$\frac{1}{R_T} = \frac{1}{R_1} + \frac{1}{R_L}$$

$$I \quad V = 6.0V \quad I = \frac{V}{R_T}$$

$$V = 6.0V = V_1 = V_2$$

$$I_1 = \frac{V_1}{R_1} = \frac{6.0V}{100\Omega} = 0.060A$$

60mA

$$I_2 = \frac{6.0V}{350\Omega} = 171mA$$

171mA

$$P_1 = \frac{V^2}{R} = \frac{6^2}{100} = 360mW$$

360mW

$$P = VI$$

$$I = \frac{V}{R}$$

$$P_2 = \frac{6^2}{350} = 103mW$$

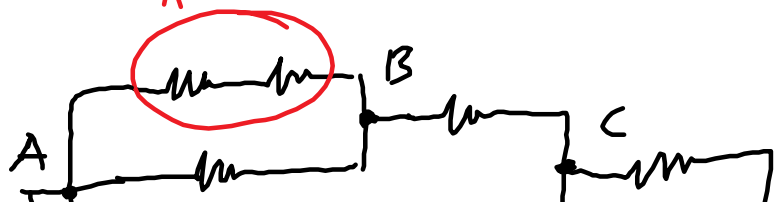
103mW

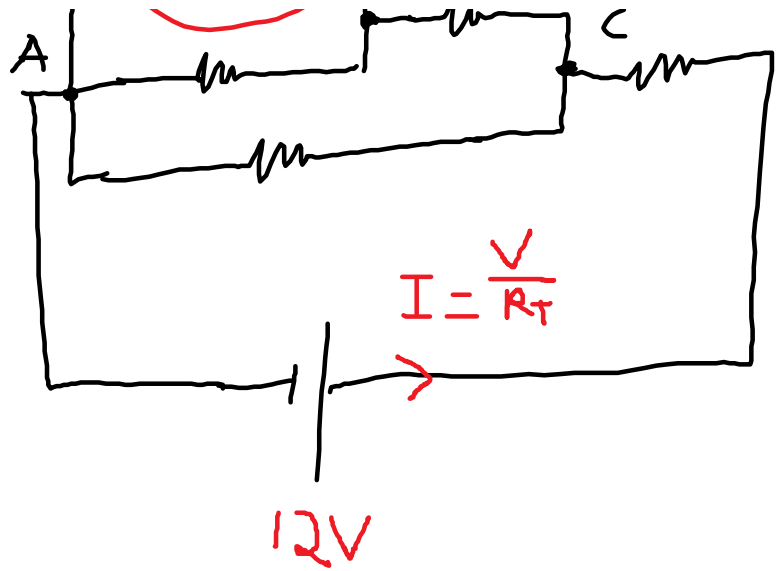
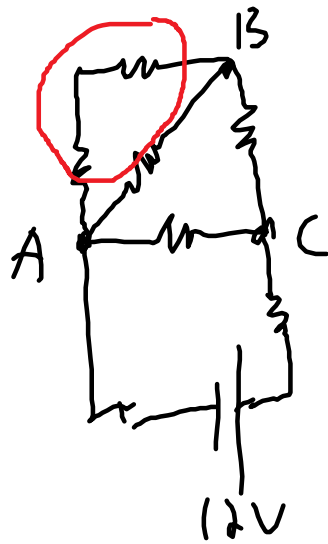
$$P = I^2 R$$

↑

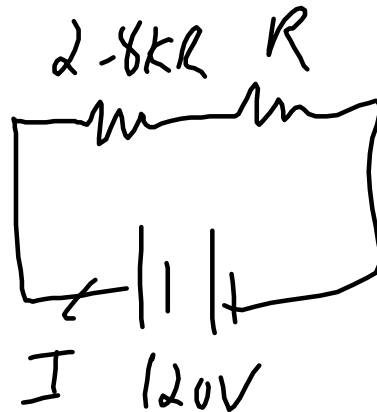
R_T

Q5 p 500





Q 9



P_1



P_2

$$P_1 = \frac{1}{4} P_2$$

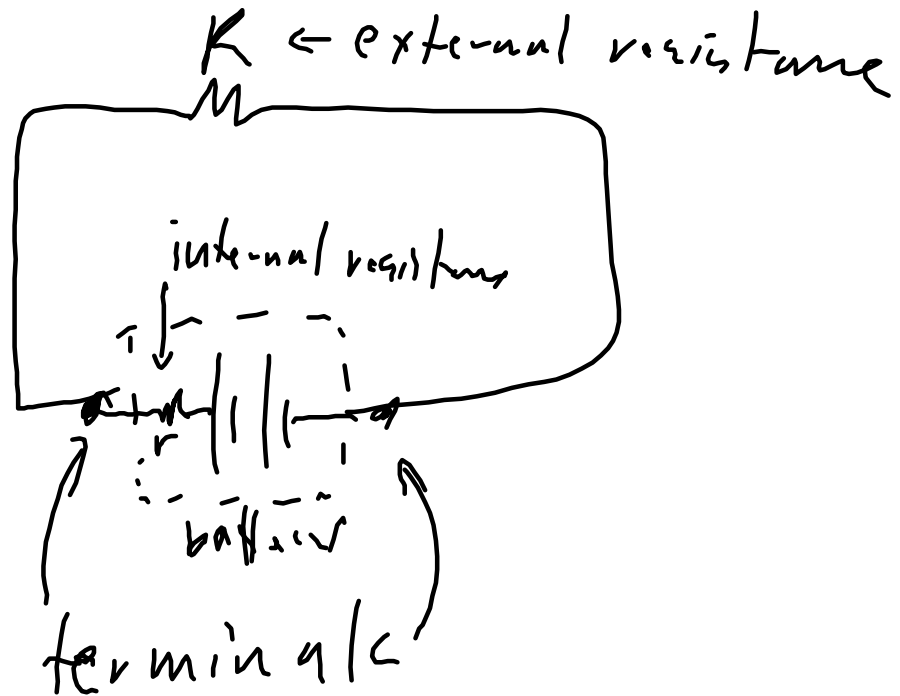
Read Lab p85-89
P500 Q13-17, keeners 21-27

Internal Resistance, r

Power supplies and batteries lose

some energy as heat. We model this loss as being like a resistor inside the battery/power supply.

Look for this in the lab next class:



\mathcal{E}_{mf} - Voltage with no loss
- No current

V_T - Terminal voltage
- Voltage with current

$$V_T = \mathcal{E}_{mf} - Ir$$

↑
if charging the battery

change the $-Ir$ to $+Ir$

A 1.5 V battery is connected to a 4.0 ohm external resistance. If the current through the resistor is only 0.30 A, what is the

a) terminal voltage

b) internal resistance

P499 Q1-11 odd doublecheck

P500 Q13-17 odds - keeners - 21-27

$\mathcal{E}_{mf} = 1.5V$ - measured with no current

a) $V_t = RI = 4 \times 0.30 = 1.2 V$

b) $V_t = \mathcal{E}_{mf} - Ir$

$$1.2V = 1.5V - (0.30A)r$$

$$0.3V = 0.3A r$$

$$r = 1.0\Omega$$

Current Electricity - Internal resistance

Kirchhoff's Laws:

1. Loop Law or Voltage Law

- voltages around a loop add to zero.
- series $V = V_1 + V_2$
- parallel $V = V_1 = V_2$

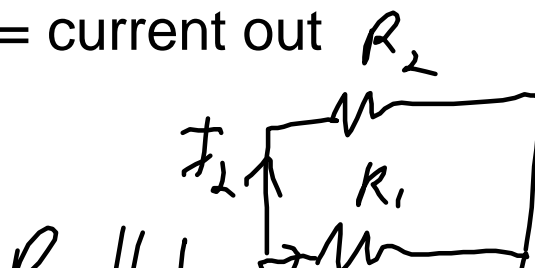
2. Junction Law or Current Law

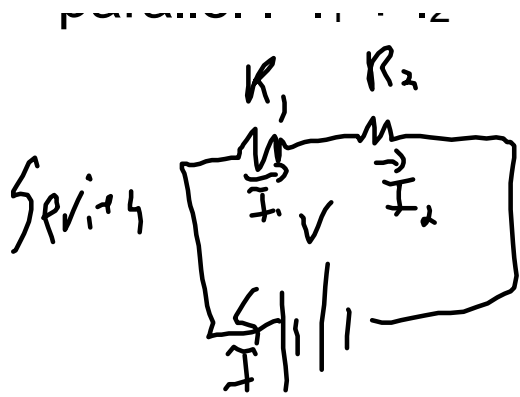
- current into a junction = current out

series $I = I_1 = I_2$

parallel $I = I_1 + I_2$

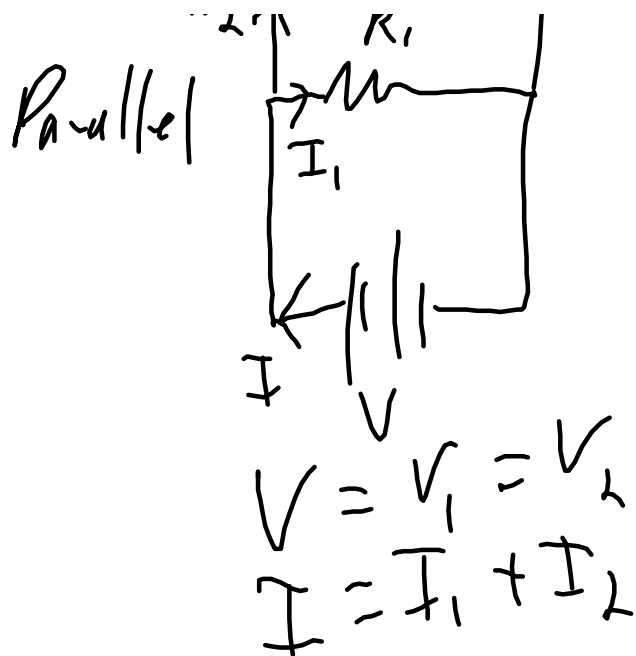
$$R_1 \quad R_2$$





$$V = V_1 + V_2$$

$$I = I_1 = I_2$$

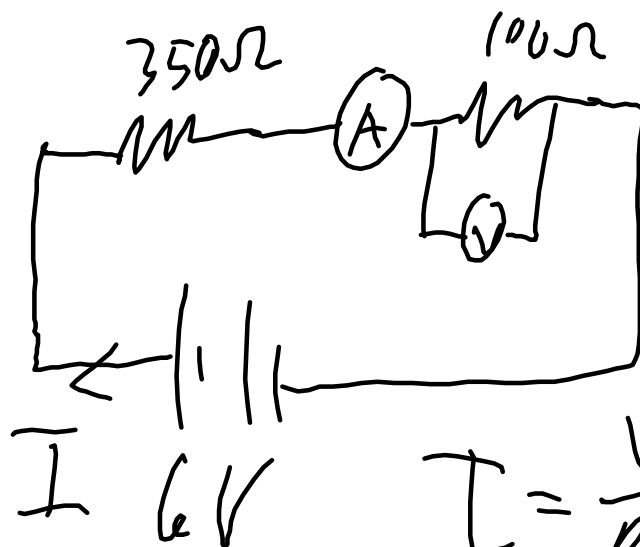


$$V = V_1 = V_2$$

$$I = I_1 + I_2$$

- Determine the voltage across, current through and power output of each resistor when they are
- in series with each other
 - in parallel with each other

Draw a circuit diagram showing an ammeter and voltmeter connected to the 100 ohm resistor.



$$I = \frac{V}{R_T} = \frac{6.0V}{350\Omega + 100\Omega}$$

$$= 13.3mA$$

$$V_{350} = I R = 350\Omega \times 13.3mA$$

$$V_{350} = \frac{1}{1} = 550 \mu A \cdot 100 \Omega$$

$$= \boxed{4.67V}$$

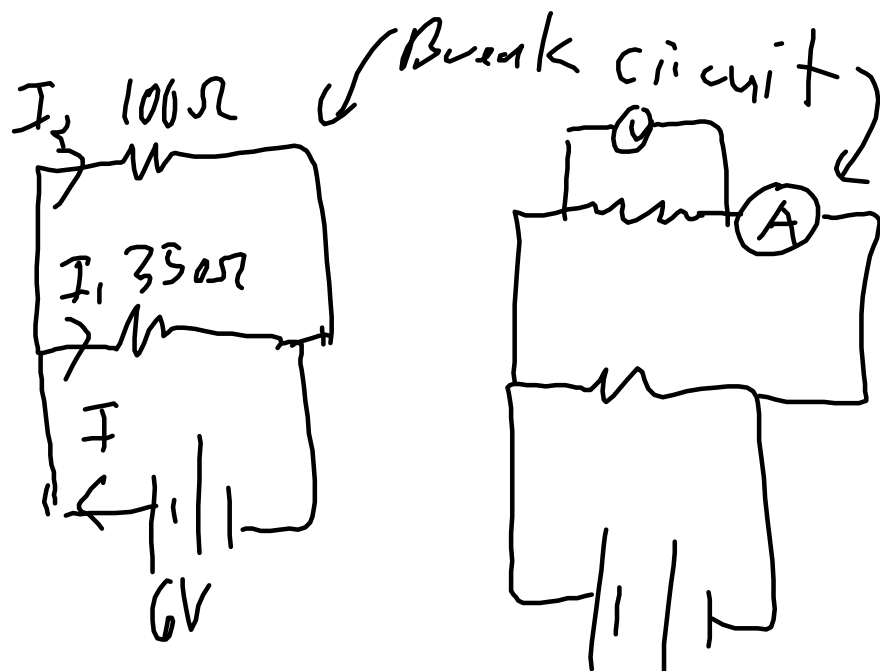
$$V_{100\Omega} = 100 \Omega \times 13.3 \times 10^{-3} = \boxed{133V}$$

$$P_{350\Omega} = I^2 R = (13.3 \times 10^{-3})^2 (350)$$

$$= \boxed{62.2 mW}$$

$$P_{100\Omega} = \boxed{17.8 mW}$$

b)



$$V = V_1 = V_2 = 6V$$

$$I_1 = \frac{V_1}{R_1} = \frac{6V}{350\Omega} = 17.1mA$$

$$I_2 = \frac{V_2}{R_2} = \frac{6V}{10\Omega} = 600mA$$

$$P_1 = \frac{V^2}{R} = \frac{6^2}{350} = 0.103W$$

$$P_2 = \frac{6^2}{10} = 0.36W$$

Internal Resistance

Have you noticed that when you run a battery with lots of current, it gets hot. Some of the energy is dissipated as heat inside the battery before going to the outside.

We can model this as being like a resistor (dissipate electrical energy as heat) inside the battery or power supply, the internal resistance.

eg. When we connected two 10.0 ohm resistors in series with a 6.0 V battery, the voltage across the battery (terminal voltage, V_t) dropped to 5.5V. What is

a) current through the two 10.0 ohm resistors?

$$I = \text{terminal voltage} / \text{external resistance} = V_t / R$$
$$= 5.5\text{V} / (10 + 10 \Omega) = 0.28 \text{ A}$$

b) the internal resistance of the battery, r ?

the Emf is the electromotive force, the voltage of the battery with no current (no energy lost).

$$\text{Emf} = 6.0\text{V}$$

$$V_t = 5.5\text{V}$$

$$V_t = \text{emf} - Ir$$

+ when you are charging the battery,

$$5.5\text{V} = 6.0\text{V} - 0.275\text{A} \times r$$

$$r = 0.5 / 0.275 = 1.8182$$

the internal resistance, $r = 1.8\Omega$

Homework: Quiz April 12

double check Q1-11 odds

read the lab p85-89 bring labbook.

p500 Q13-17 odds - keeners 21-27

Current Electricity
review:

Kirchhoff's Laws

1. Loop Law or Voltage Law

Voltages around a loop add to zero.

series circuit example - $V = V_1 + V_2$

parallel $V = V_1 = V_2$

2. Junction Law or Current Law

Current into a junction = Current out

series circuit - $I = I_1 = I_2$

parallel $I = I_1 + I_2$

Determine the voltage across, current through and power output of each resistor when they are

a) in series with each other

b) in parallel with each other

Draw a circuit diagram showing an ammeter and voltmeter connected to the 100 ohm resistor.